

2012 Mathematics

Intermediate 1 Units 1, 2 & 3 Paper 1

Finalised Marking Instructions

© Scottish Qualifications Authority 2012

The information in this publication may be reproduced to support SQA qualifications only on a non-commercial basis. If it is to be used for any other purposes written permission must be obtained from SQA's NQ Delivery: Exam Operations team.

Where the publication includes materials from sources other than SQA (secondary copyright), this material should only be reproduced for the purposes of examination or assessment. If it needs to be reproduced for any other purpose it is the centre's responsibility to obtain the necessary copyright clearance. SQA's NQ Delivery: Exam Operations team may be able to direct you to the secondary sources.

These Marking Instructions have been prepared by Examination Teams for use by SQA Appointed Markers when marking External Course Assessments. This publication must not be reproduced for commercial or trade purposes.

Part One: General Marking Principles for Mathematics Intermediate 1 Units 1, 2 & 3 Paper 1

This information is provided to help you understand the general principles you must apply when marking candidate responses to questions in this Paper. These principles must be read in conjunction with the specific Marking Instructions for each question.

- Marks for each candidate response must <u>always</u> be assigned in line with these general marking principles and the specific Marking Instructions for the relevant question. If a specific candidate response does not seem to be covered by either the principles or detailed Marking Instructions, and you are uncertain how to assess it, you must seek guidance from your Team Leader. You can ask for support within Scoris Assessor by using the messaging system or by raising an exception.
 - Instructions on how to use the message system and raise an exception are on SQA Academy: e-marking 2012 training course: Section 4 A guide to e-marking for markers: Scoris Assessor online marking training: Section 7 Communications.
- 2. Marking should always be positive ie, marks should be awarded for what is correct and not deducted for errors or omissions.
- **3.** Award one mark for each 'bullet' point shown in the Marking Instructions.
- 4. Working subsequent to an error must be followed through with the possibility of awarding all remaining marks for the subsequent working, provided the question has not been not simplified as a result of the error. In particular, the answer to one part of a question, even if incorrect, must be accepted as a basis for subsequent dependent parts of the question. Full marks in the dependent part(s) may be awarded provided the question has not been not simplified.
- 5. Solutions which seem unlikely to include anything of relevance must nevertheless be followed through. Candidates still have the opportunity of gaining one mark or more provided the solution satisfies the criteria for the marks.
- **6.** The following should not be penalised:
 - working subsequent to a correct answer (unless it provides firm evidence that the requirements of the question have not been met)
 - omission or misuse of units (unless marks have been specifically allocated for the purpose in the Marking Instructions)
 - bad form, eg sin $x^{\circ} = 0.5 = 30^{\circ}$
 - legitimate variation in numerical values/algebraic expressions.
- 7. Full credit should only be given where the solution contains appropriate working. Where the correct answer may be obtained by inspection or mentally, credit may be given, but reference to this will be made in the Marking Instructions.
- **8.** In general only give credit for answers if working is shown. A wrong answer without working receives no credit unless specifically mentioned in the Marking Instructions. The rubric on page one of the question paper states that 'full credit will be given only where the solution contains appropriate working'.
- 9. Sometimes the method to be used in a particular question is explicitly stated; no credit should be given where a candidate obtains the correct answer by an alternative method.

- **10.** Where the method to be used in a particular question is not explicitly stated, full credit must be given for alternative methods which produce the correct answer.
- 11. Do not penalise the same error twice in the same question.
- 12. Do not penalise a transcription error unless the question has been simplified as a result.
- **13.** Where a solution has been scored out and not replaced then provided the solution is legible marks should be awarded in line with the Marking Instructions for that question.
- **14.** Where more than one solution is given, mark them all and award the least mark.
- 15. The symbols \checkmark and \times are used in the Marking Instructions to give guidance regarding the awarding of marks for specific candidate responses to some questions, eg 'award $2/4 \checkmark \times \times \checkmark$ ' indicates that the 1st & 4th marks should be awarded but the 2nd & 3rd marks should not.

Part Two: Mathematics Intermediate 1: Paper 1, Units 1, 2 and 3

Que	estion	Expected Answer/s	Max Mark	Additional Guidance
1	a	Ans: 2·71 • 1 calculate 8·31 – 5·6: 2·71	1	
1	b	Ans: 11⋅6 •¹ calculate 0⋅029 × 400: 11⋅6	1	
1	c	Ans: 124 • 1 calculate $^2/_7$ of 434: 124	1	
2		Ans: ² / ₅ • ¹ find probability: ⁸ / ₂₀ • ² simplify fraction: ² / ₅	2	 Correct answer without working award 2/2 2/3, 3/5 (no working necessary) award 1/2 ×√ Final answer must be a fraction 8:20, 2:5, 8 out of 20, 2 out of 5, 8 in 20, 2 in 5, 8-20, 2-5, 0·4, 40% award 1/2 √×
3		Ans: 5.86×10^{-5} •¹ correct coefficient: 5.86 •² consistent power of ten: 5.86×10^{-5}	2	 Correct answer without working award 2/2 Some common answers (no working necessary) (a) 586 × 10⁻⁷ award 1/2 ×√ (b) 58·6 × 10⁻⁶ award 1/2 ×√ (c) 5·86 × 10⁵ award 1/2 √x (d) 586 × 10⁷ award 0/2

culate commission: 00)	Correct answer without working award 3/3
ssion: 126 ay: 126 + 50 = 176	 2. The 2nd mark is available for correctly calculating 30% of any amount e.g. (a) 186(30% of 620) + 50 = 236 award 2/3 ×√√ (b) 30% of 200 = 60 (×3 = 180)

Qu	estion	Expected Answer/s	Max Mark	Additional Guidance
5	a	Ans: $\begin{array}{ c c c c c c c c c c c c c c c c c c c$	2	
5	b	 Ans: straight line graph of y = 0.5x+3 orrectly plot all three points from the table draw straight line through the three points shown in the table 	2	 If the line y = 0.5x + 3 is drawn (even if this is not consistent with the points in the table) award 2/2 [minimum acceptable length: line joining (-2,2) to (2,4)] Where the three points plotted are consistent with the table and are not collinear, the 2nd mark is unavailable [check gradients] Where (y,x) is consistently plotted, answer should be followed through with the possibility of awarding the 2nd mark

Qu	estion	Expected Answer/s	Max	Additional Guidance
6	a	Ans: 6 •¹ find mode: 6	Mark 1	
6	b	Ans: 4 • 1 find range: $9-5=4$	1	
6	c	Ans: 6.48 • 1 complete table:	3	 Award of 1st mark: 240, 63 and 1296 need not appear in table but must be shown in working 2nd mark may only be awarded for attempting Σfx ÷ 200 Answer With evidence for 1st mark for 1st mark 6·48 3/3√√√ 2/3 ×√√ 259·2 [1296 ÷ 5] 1/3 √ × × 0/3 Disregard subsequent rounding after a division e.g. (a) 1296 ÷ 200 = 6·48 = 6·5 award 3/3 (b) 1296 ÷ 200 = 6·5 award 2/3 √ √ × Accept Σfx ÷ 100 × 2 as evidence of knowing to divide Σfx by 200

Qu	estion	Expected Answer/s	Max Mark	Additional Guidance
7	a	Ans: 360 cm ³ • I know how to calculate area of end: $\frac{1}{2} \times 8 \times 6$ • Rnow to multiply area of end by 15: $\frac{1}{2} \times 8 \times 6 \times 15$ • Carry out all calculations correctly: 360	3	 Correct answer without working award 3/3 24 [½×8×6] (no working necessary) award 1/3 √×× 2nd mark only available for knowing to multiply calculated 'area' by 15 e.g. (working must be shown) (a) 48(8×6)×15 = 720 award 2/3 ×√√ (b) 14(8+6)×15 = 210 award 2/3 ×√√ Accept e.g. 24 × 10 × 5 as evidence of knowing to multiply 24 × 15 3rd mark is not available for correct answer to (number ≤ 10)×15 or 100×15 e.g. √(6²+8²) → 10×15 = 150
7	b	Ans: 9 cm • 1 correct method: e.g. $4 \times 10 \times h = 360$ or $360 \div 40$ • 2 calculate height of cuboid: 9	2	 Correct answer without working award 2/2 Answer to (b) must be consistent with answer to (a) [no working necessary] Do not accept 'answer to (a) – 40' as evidence of correct method e.g. 360 – 40 = 320 award 0/2

Qu	estion	Expected Answer/s	Max Mark	Additional Guidance
8	a	Ans: -11 • 1 multiply $-3 \times (-2)$ correctly: 6 • 2 subtract 17 correctly: $6-17=-11$	2	 Correct answer without working award 2/2. -23 (no working necessary) award 1/2 ×√ 11 with no working award 0/2
8	b	Ans: 9	2	
		• add 17 correctly: -35 + 17 = -18 • divide by -2 correctly: $-18 \div (-2) = 9$		 Correct answer without working award 2/2. Answer may appear in the number machine or equivalent e.g. 9 × (-2) = -18-17 = -35 -9 (working must be shown) award 1/2

Que	estion	Expected Answer/s	Max Mark	Additional Guidance
9		Ans: $n < 48$	2	
		•¹ collect constants: ½n < 12 •² solve inequality for n: n < 48	_	 For answers without valid working award 1/2 e.g. (a) n < 48 without working x√ (b) ¹/4 × 48 - 2 < 10 → n < 48 x√ (c) ¹/4n = 12 → n < 48 x√ Answers acceptable for partial credit (valid working must be shown) award 1/2 (a) ¹/4n < 12 → n < 3 √x (b) ¹/4n < 12 → < 48 √x (c) ¹/4n < 12 → n = 48 √x (d) ¹/4n = 12 → n = 48 √x (e) ¹/4n < 8 → n < 32 x√

TOTAL MARKS FOR PAPER 1

30

[END OF MARKING INSTRUCTIONS]



2012 Mathematics

Intermediate 1 Units 1, 2 & 3 Paper 2

Finalised Marking Instructions

© Scottish Qualifications Authority 2012

The information in this publication may be reproduced to support SQA qualifications only on a non-commercial basis. If it is to be used for any other purposes written permission must be obtained from SQA's NQ Delivery: Exam Operations team.

Where the publication includes materials from sources other than SQA (secondary copyright), this material should only be reproduced for the purposes of examination or assessment. If it needs to be reproduced for any other purpose it is the centre's responsibility to obtain the necessary copyright clearance. SQA's NQ Delivery: Exam Operations team may be able to direct you to the secondary sources.

These Marking Instructions have been prepared by Examination Teams for use by SQA Appointed Markers when marking External Course Assessments. This publication must not be reproduced for commercial or trade purposes.

Part One: General Marking Principles for Mathematics Intermediate 1 Units 1, 2 & 3 Paper 2

This information is provided to help you understand the general principles you must apply when marking candidate responses to questions in this Paper. These principles must be read in conjunction with the specific Marking Instructions for each question.

- Marks for each candidate response must <u>always</u> be assigned in line with these general marking principles and the specific Marking Instructions for the relevant question. If a specific candidate response does not seem to be covered by either the principles or detailed Marking Instructions, and you are uncertain how to assess it, you must seek guidance from your Team Leader. You can ask for support within Scoris Assessor by using the messaging system or by raising an exception.
 - Instructions on how to use the message system and raise an exception are on SQA Academy: e-marking 2012 training course: Section 4 A guide to e-marking for markers: Scoris Assessor online marking training: Section 7 Communications.
- 2. Marking should always be positive ie, marks should be awarded for what is correct and not deducted for errors or omissions.
- **3.** Award one mark for each 'bullet' point shown in the Marking Instructions.
- 4. Working subsequent to an error must be followed through with the possibility of awarding all remaining marks for the subsequent working, provided the question has not been not simplified as a result of the error. In particular, the answer to one part of a question, even if incorrect, must be accepted as a basis for subsequent dependent parts of the question. Full marks in the dependent part(s) may be awarded provided the question has not been not simplified.
- 5. Solutions which seem unlikely to include anything of relevance must nevertheless be followed through. Candidates still have the opportunity of gaining one mark or more provided the solution satisfies the criteria for the marks.
- **6.** The following should not be penalised:
 - working subsequent to a correct answer (unless it provides firm evidence that the requirements of the question have not been met)
 - omission or misuse of units (unless marks have been specifically allocated for the purpose in the Marking Instructions)
 - bad form, eg sin $x^{\circ} = 0.5 = 30^{\circ}$
 - legitimate variation in numerical values/algebraic expressions
- 7. Full credit should only be given where the solution contains appropriate working. Where the correct answer may be obtained by inspection or mentally, credit may be given, but reference to this will be made in the Marking Instructions.
- **8.** In general only give credit for answers if working is shown. A wrong answer without working receives no credit unless specifically mentioned in the Marking Instructions. The rubric on page one of the question paper states that 'full credit will be given only where the solution contains appropriate working'.
- 9. Sometimes the method to be used in a particular question is explicitly stated; no credit should be given where a candidate obtains the correct answer by an alternative method.

- **10.** Where the method to be used in a particular question is not explicitly stated, full credit must be given for alternative methods which produce the correct answer.
- 11. Do not penalise the same error twice in the same question.
- 12. Do not penalise a transcription error unless the question has been simplified as a result.
- Where a solution has been scored out and not replaced then provided the solution is legible marks should be awarded in line with the Marking Instructions for that question.
- **14.** Where more than one solution is given, mark them all and award the least mark.
- 15. The symbols \checkmark and \times are used in the Marking Instructions to give guidance regarding the awarding of marks for specific candidate responses to some questions, eg 'award $2/4 \checkmark \times \times \checkmark$ ' indicates that the 1st & 4th marks should be awarded but the 2nd & 3rd marks should not.

Part Two: Mathematics Intermediate 1: Paper 2, Units 1, 2 and 3

Question	Expected Answer/s	Max Mark	Additional Guidance
1	Ans: 10.35 am • 1 subtract 3h40m from 2.15: 10.35	1	1. Accept 10.35, but do not accept 10.35pm
2	Ans: 1575 grams • 1 find number of grams per portion: 700 ÷ 4 = 175 • 2 find number of grams for 9 portions: 175 × 9 = 1575	2	 Correct answer without working award 2/2 Alternative strategies (a) •¹ 9 ÷ 4 = 2.25 •² 700 × 2.25 = 1575 (b) •¹ 9 ÷ (4 ÷ 700) •² 1575 [4 ÷ 700 is not enough for the 1st mark] (c) •¹•² 4 700 4 700 1 175 9 1575 [In this case award 1/2 for correct method with one error] For 700 × 9 = 6300 award 0/2

Que	estion	Expected Answer/s	Max Mark	Additional Guidance
3		 Ans: 13 + 8x or equivalent •¹ multiply out one bracket: 8 - 12x or 20x + 5 •² multiply out both brackets and know to add: 8 - 12x + 20x + 5 •³ collect like terms: 13 + 8x or equivalent 	3	 Correct answer without working award 3/3 Special case: only first term in each bracket is multiplied (working must be shown) 8 - 3x + 20x + 1 = 9 + 17x or 17x + 9
4		Ans: 3(5a + 4) • identify common factor: 3 or 5a + 4 • factorise: 3(5a + 4)	2	

Question	Expected Answer/s	Max A Mark	Additional Guidance
5	Ans:	3	
5		3 ms & Hips /	maximum of 2 marks is available (a) 5 rows otherwise "correct" award 2/3 (b) 2 rows otherwise "correct" award 1/2

Que	estio	n Expected Answer/s	Max Mark	Additional Guidance
6	a	Ans: 147 cm •¹ interpret stem and leaf diagram: 147	1	1. For 14 7 award 0/1
6	b	Ans: 131 cm •¹ find median: 131	1	1. For 13 1 award 0/1
6	С	Ans: eg girls are taller or boys are shorter •¹ make valid comparison: any indication that girls are taller	1	 Answer must imply comparison of girls with boys. (a) Examples of acceptable answers (i) There are more taller girls than boys. (ii) There are more boys with short heights than girls. (b) Examples of unacceptable answers (i) More boys are in the 110's and 120's. More girls are in the 130's and 140's. (ii) There are more smaller boys than taller.

Que	stion	Expected Answer/s	Max Mark	Additional Guidance
7		Ans: y = 6 • 1 start to collect like terms: 7y or 42 • 2 collect like terms and equate: 7y = 42 • 3 solve equation for y: y = 6	3	 For answers without valid working award 1/3 eg (i) y = 6 without working (ii) 5 × 6 + 19 = 61 -2 × 6 → y = 6 For the award of the 3rd mark an answer of the form 'y = ' is required Answers acceptable for partial credit (valid working must be shown) (a) 7y = 42 → 6

Que	estion	Expected Answer/s Max Mark		Additional Guidance	
8		Ans: 72°	3		
		• use correct cosine ratio: $\cos x^{\circ} = \frac{1.6}{5.2}$		Correct answer without working award 2/3	
		• know how to find x : $\cos^{-1}(\frac{1.6}{5.2})$ or $\cos^{-1}0.307$ • carry out inverse trig. calculation: $72(.07)$		2. Do not penalise inadvertent use of radians or grads 1·3 or 1·2(5) (radians used) award 3/3 80·1 or 80·08() (grads used) award 3/3	
				 3. Where an incorrect trig ratio is used, working should be followed through with the possibility of awarding 2/3. (a) sin⁻¹(^{1.6}/_{5·2}) = 18 or 17·9() award 2/3 × √ (b) tan⁻¹(^{1.6}/_{5·2}) = 17·1(0) award 2/3×√√ (c) tan⁻¹(^{5·2}/_{1·6}) = 73 or 72·9 or 72·8(9) award 2/3×√√ 	
				 4. In awarding the 3rd mark, ^{1·6}/_{5·2} should not be rounded or truncated to any less than two decimal places (a) cos⁻¹0·31 = 72 or 71·9() award 3/3 (b) cos⁻¹0·3(0) = 73 or 72·5() award 2/3√√x 	
				5. Do not award 3^{rd} mark if there is invalid subsequent working e.g. $\cos^{-1}(\frac{1.6}{5.2}) = 72 \rightarrow \sqrt{72} = 8.485$ award $2/3\sqrt{\times}$	

Question	Expected Answer/s	Max Mark	Additional Guidance
9	 Ans: 24·8 m/s I know how to find speed: S = D/T express D or T in correct units: D = 3100(m) or T = 125(s) express D and T in correct units and calculate speed in m/s: 3100 ÷ 125 = 24·8 	3	 Correct answer without working award 3/3 Some common answers (no working necessary, rounding or truncation is acceptable) (a) 3100 ÷ 2·05 = 1512(·1)
10	 Ans: use suitable scales on axes: two points plotted correctly: another two points plotted correctly: final two points plotted and line graph completed correctly: 	4	 If a bar graph is drawn, then a maximum of 3 marks is available use suitable scales on axes two bars correct height all bars correct height and bar graph completed correctly (each bar same width and equally spaced; accept no space between bars) The 4th mark is not available if the line extends beyond (April, 2000) and/or (September, 5400) by more than two boxes each

11 Ans: £294 3		Additional Guidance		Expected Answer/s	Question	
1/8 × 336 = 42 necessary (a) $42000 [^{1}/_{8} \text{ of } (105000 \times 3 \times 3 \times 3)] (a) 42000 [^{1}/_{8} \text{ of } (105000 \times 3 \times 3)] (b) 294000 [336000 - 42000] award 2/3 × \checkmark \checkmark 3. Alternative Strategy 1/8 × 3·20 = 0·4(0) 2·3·20 - 0·4(0) = 2·8(0) 3·105·000/1000 × 2·80 = 294 2·800 3·105·000/1000 × 2·80 = 294 3·20 - 0·4(0) = 2·8(0) 3·105·000/1000 × 2·80 = 294 3·20 - 0·4(0) = 2·8(0) 3·105·000/1000 × 2·80 = 294 3·20 - 0·4(0) = 2·8(0) 3·20 - 0·4(0) = 2·8(0) 3·20 - 0·4(0) = 2·8(0) 3·20 - 0·4(0) = 2·8(0) 3·20 - 0·4(0) = 2·8(0) 3·20 - 0·4(0) = 2·8(0) 3·20 - 0·4(0) = 2·8(0) 3·20 - 0·4(0) = 2·8(0) 3·20 - 0·4(0) = 2·8(0) 3·20 - 0·4(0) = 2·8(0) 3·20 - 0·4(0) = 2·8(0) 3·20 - 0·4(0) = 2·8(0) 3·20 - 0·4(0) = 2·8(0) 3·20 - 0·4(0) = 2·8(0) 3·20 - 0·4(0) = 2·8(0) 3·20 - 0·4(0) = 2·8(0) 3·20 - 0·4(0) $	ing (3.20)] 00] there is	 Correct answer without working award 3/3 Common answers (no working necessary) (a) 42000 [¹/₈ of (105000 × 3·20)] award 1/3 ×√x (b) 294000 [336000 – 42000] award 2/3 ×√√ Alternative Strategy ¹/₈ × 3·20 = 0·4(0) ² 3·20 – 0·4(0) = 2·8(0) ³ ¹05 000/_{1 000} × 2·80 = 294 Do not award the 3rd mark if there i invalid subsequent working e.g. 105000–294 = 104706 	Mark 3	Ans: £294 • 1 calculate gross premium: ${}^{105000}/{}_{1000} \times 3.20 = 336$ • 2 calculate discount: ${}^{1}/{}_{8} \times 336 = 42$ • 3 calculate net premium:	estion	

Question	Expected Answer/s	Max Mark	Additional Guidance
12	Ans: £216.95	4	 Correct answer without working award 4/4 (a) The 4th mark is only available where the answer has to be rounded to the nearest penny. (b) The 4th mark should not be awarded where premature rounding results in an incorrect answer.
	METHOD 1 •¹ calculate tax in dollars: ${}^{17}/{}_{100} \times 280 = 47.6(0)$ •² calculate total cost in dollars: $280 + 47.6(0) = 327.6(0)$ •³ convert cost to sterling: $327.6(0) \div 1.51 = 216.(95)$ •⁴ round to nearest penny: 216.95		METHOD 1 1. Acceptable answers for partial credit (no working necessary) (i) 494·68 [327·6 × 1·51] award 3/4 ✓ ✓ × ✓ (ii) 494·676 [327·6 × 1·51] award 2/4 ✓ ✓ × ×
	METHOD 2 •¹ convert cost to sterling: 280 ÷ 1·51 = 185(·43) •² calculate tax in sterling: ¹¹/₁₀₀ × 185·43(0) = 31(·52) •³ calculate total cost in sterling: 216(·95) •⁴ round to nearest penny: 216·95		METHOD 2 1. Acceptable answers for partial credit (no working necessary) (a)(i) 185·43 award 2/4 ✓××✓ (ii) 185·43 award 1/4 ✓××× (b)(i) 31·52 award 3/4 ✓√×✓ (ii) 31(·5) award 2/4 ✓✓×× 2. Answers obtained from 280 × 1·51 (no working necessary) (a) 422·8(0) award 0/4 (b)(i) 71·88 award 2/4 ×✓×✓ (ii) 71·876 award 1/4 ×✓×× (c)(i) 494·68 award 3/4 ×✓✓✓ (ii) 494·676 award 2/4 ××✓✓ 3. Special cases (combination of methods 1 and 2) (a) 185·43 + 47·6(0) = 233·03 award 2/4 (b) 47·6(0) + 422·8(0) = 470·4(0) award 1/4

Question	Expected Answer/s	Max Mark	Additional Guidance	
13	Ans: 13.5 • 1 evaluate 6^2 correctly: $6^2 = 36$ • 2 evaluate numerator correctly: $6^2 + 3 \times 6 = 54$ • 3 divide by 4 correctly: $(6^2 + 3 \times 6) \div 4 = 13.5$		 Correct answer without working award 3/3 Some common answers (working must be shown) (a) (12+3×6)÷4=7·5 award 2/3 ×√√ (b) (6²+3)×6÷4=58·5 award 2/3 √×√ (c) (12+3)×6÷4=22·5 award 1/3 ××√ (d) 6²+3×6÷4=40·5 award 2/3 √×√ (e) 12+3×6÷4=16·5 award 1/3 ××√ 3. 1st mark may be awarded for numerator = n (n+3) = 6×9 	

Question	Expected Answer/s	Max Mark	Additional Guidance	
14	Ans: 10·7 m	4		
	• correct form of Pythagoras' Theorem: $6 \cdot 8^2 - 6^2$		Correct answer without working award 4/4	
	•² calculate difference (or sum) of two squares: 10·24		2. Accept e.g. $x^2 + 6^2 = 6.8^2$ as evidence for award of 1 st mark	
	• calculate the square root of a calculated value: 3·2 • correctly add 7·5 to previously calculated height of triangle (see additional guidance 3-5): 3·2 + 7·5 = 10·7		 3. Some common answers (working must be shown) (a) √(6⋅8² + 6²) + 7⋅5) = 16⋅6, 16⋅5(6) award 3/4 x√√√ (b) √(6⋅8² + 6²) = 9⋅1, 9⋅0(6) award 2/4 x√√x 4. The 4th mark may be awarded for e.g. (a) ½×12×6⋅8 + 7⋅5 = 48⋅3 award 1/4×x√√ (b) ½×(12+6⋅8) + 7⋅5 = 16⋅9 award 1/4×x√√ 5. Do not award the 4th mark for 12 + 6⋅8 + 7⋅5 = 26⋅3 award 0/4 6. Do not award the 4th mark if there is invalid subsequent working after finding the height of the triangle or after 	
			finding the height of the house e.g. (a) $\frac{1}{2}(3\cdot2) + 7\cdot5 = 9\cdot1$ award $\frac{3}{4} \checkmark \checkmark \checkmark \times$ (b) $\sqrt{(6\cdot8^2 + 6^2) + 7\cdot5 + 6\cdot8} = 23\cdot4$ award $\frac{2}{4} \times \checkmark \checkmark \times$	
			7. Example of alternative strategy involving trigonometry •¹ $a^{\circ} = \cos^{-1}({}^{6}/_{6\cdot 8}) = 28\cdot 07^{\circ}$ •² $\tan 28\cdot 07^{\circ} = {}^{x}/_{6}$ •³ $x = 6\tan 28\cdot 07^{\circ} = 3\cdot 2$ •⁴ $height = 3\cdot 2 + 7\cdot 5 = 10\cdot 7$	
			8. Do not penalise inadvertent use of radians or grads if trigonometry is used	

Que	Question		Expected Answer/s	Max Mark	Additional Guidance
15	a		Ans: £28 • calculate profit: $12 \times 9 - 80 = 28$	1	
15	b		 Ans: 35% In know to express profit as a fraction of 80: 28/80 Representation with the second s	3	 Correct answer without working award 3/3 3rd mark is only available for calculations of the form ^a/_b × c where a,b,c = answer to (a) or 80 or 100 or 108. Some common answers (working must be shown) (a) 286, 285(·7) [⁸⁰/₂₈ × 100] award 2/3 × √ (b) 22(·4) [²⁸/₁₀₀ × 80 or ⁸⁰/₁₀₀ × 28] award 1/3 × × √

Que	estion	Expected Answer/s	Max Mark	Additional Guidance
16		Ans: 1123 cm ²	5	
		•¹ know how to calculate area of semi-circle: ½ πr²		1. Correct answer without working award 0/5
		 substitute correct radius into formula: ½ × π × 6² know to add area of semi-circles and area of rectangle: (5 × area of semi-circle) + (60 × 14) carry out all calculations correctly: π → 282·7 + 840 = 1122·7 (must include a circle calculation followed by an addition) round to nearest whole number: 1123 		 2. Some common answers (working must be shown) (a) 1405 [π × 6² × 5 + 60 × 14]

TOTAL MARKS FOR PAPER 2 50

> TOTAL MARKS FOR PAPER 1 & 2 80

[END OF MARKING INSTRUCTIONS]