

2007 Mathematics

Standard Grade General

Finalised Marking Instructions

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Special Instructions

1 The main principle in marking scripts is to give credit for the skills which have been demonstrated. Failure to have the correct method may not preclude a pupil gaining credit for the calculations involved or for the communication of the answer.

Care should be taken to ensure that the mark for any question or part question is entered in the correct column, as indicated by the horizontal line.

Where a candidate has scored zero marks for any question attempted, "0" should be shown against the answer in the appropriate column.

It is of great importance that the utmost care should be exercised in adding up the marks. Where appropriate, all summations for totals and grand totals must be carefully checked.

- 2 The answer to one part, correct **or incorrect** must be accepted as a basis for subsequent dependent parts of a question. Full marks in the dependent part is possible if it is of equivalent difficulty.
- 3 Do not penalise insignificant errors. An insignificant error is one which is significantly below the level of attainment being assessed.
 - eg An error in the calculation of 16 + 15 would not be penalised at Credit Level.
- 4 Working after a correct answer should **only** be taken into account if it provides **firm** evidence that the requirements of the question have not been met.
- 5 In certain cases an error will ease subsequent working. **Full** credit cannot be given for this subsequent work but **partial** credit may be given.
- 6 Accept answers arrived at by inspection or mentally, where it is possible for the answer to have been so obtained.
- 7 Do not penalise omission or misuse of units unless marks have been specifically allocated to units.

8 A wrong answer without working receives no credit unless specifically mentioned in the marking scheme.

The rubric on the outside of the Papers emphasises that working must be shown. In general markers will only be able to give credit to partial answers if working is shown. However there may be a few questions where partially correct answers unsupported by working can still be given some credit. **Any such instances will be stated in the marking scheme.**

9 Acceptable alternative methods of solution can only be given the marks specified, ie a more sophisticated method cannot be given more marks.

Note that for some questions a method will be specified.

- 10 In general do not penalise the same error twice in the one question.
- 11 Accept legitimate variations in numerical/algebraic questions.
- 12 Do not penalise bad form eg sinx⁰ = $0.5 = 30^{\circ}$.
- 13 A transcription error is not normally penalised except where the question has been simplified as a result.

Mathematics Standard Grade – General Level 2007 – Paper 1

Marking Instructions

Question No		Give 1 mark for each •	Illu	istrations of evidence each mark	
1 (a)	Ans:	2-438			
	\bullet^1	Correct subtraction	• ¹	2.438	1K
(b)	Ans:	261-2			
	•1	Correct multiplication	• ¹	261.2	1K
(c)	Ans:	46.5			
	• ¹	Correct division	•1	46.5	1K
(d)	Ans:	21⅔			
	\bullet^1	Correctly multiplying by 5	\bullet^1	20 and $\frac{5}{3}$	
	• ²	Correct addition	•2	21 ² / ₃	2К
Notes: In part (d)					
(i) <i>'</i>	The maximu	Im mark that can be awarded when	the frac	ction is rounded to a d	lecimal is 1/2
(ii)	Alternative	strategy			
	$ullet^1$	Conversion to improper fraction	\bullet^1	$\frac{13}{3}$	
	• ²	Correct multiplication by 5	• ²	$\frac{65}{3}$	
	Final answe 21 ² / ₃ ⁶⁵ / ₃ 20 ⁵ / ₃	ers with working 2/2 2/2 1/2		without working 2/2 2/2 1/2	5

Award marks in whole numbers only

Question No	Give 1 mark for ea	ach •	Illustrations of evidence for awarding each mark •		
2	Ans: 0.00023 (s)				
	• ¹ Evidence of use of a power	negative	• ¹ 0·23		
	• ² Correct answer		• ² 0.00023 (s)	2K	
Note:					
Fin: 0.00 23 (0023 2/	7 orking /2 /2	without working 2/2 1/2		
3	Ans:				
	Weights Dance Runnin	g Cycling	Swimming Total Time		
		✓ ✓	✓ 95 ✓ 105		
			<u> </u>		
			$\begin{array}{c c} \checkmark & 100 \\ \hline \checkmark & 90 \end{array}$		
		✓ ✓	$\begin{array}{c c} \checkmark & 90 \\ \hline \checkmark & 115 \end{array}$		
	• ¹ two combinations (extines) correct	xcluding			
	• ² a further two combin (excluding times) co				
	• ³ one further combinat and all times correct			3F	
Note:					
1016.					

Question No	l	Give 1 mark for each •		strations of evidence for awa each mark •	arding
4	Ans:				
		0			
	\bullet^1	90° rotation	\bullet^1	Evidence	
	• ²	One correct rotation	•2	Evidence	
	•3	Two further correct rotations	•3	Evidence	3R
5	Ans:	34(°)			
	• ¹	Subtract –11 from 23 or equivalent	• ¹	23 – (–11) or 23 + 11	
	•2	Correct difference calculation	•2	34 (°)	2K
Notes: (i)	Final answe	ers with working	I	without working	
	34 (°)	2/2		2/2	
	-34 (°)	1/2		0/2	
	12 (°) -12 (°)	1/2 0/2		0/2 0/2	
(ii)		number line from –11 to 23 is acc	eptable f	for the 1 st mark	

Question No		Give 1 mark for each •	Illust	rations of evidence for awarding each mark •
6 (a)	Ans:	1 2 3 4 5 12 6 11 16 21 26 61		
	\bullet^1	Any 2 correct lengths of wood	• ¹	Any 2 from 16, 21, 26, 61
	• ²	2 further correct lengths of wood	• ²	Remaining 2 from 16, 21, 26, 61
				2R
(b)	Ans:	w = 5s + 1		
	$\bullet^1 \& \bullet^2$	Correct formula	$\bullet^1 \& \bullet^2$	w = 5s + 1
				2R
(c)	Ans:	<i>s</i> = 16		
	\bullet^1	Correct strategy to find s	\bullet^1	81 = 5s + 1
	• ²	Correct solution	• ²	s = 16 2R
Notes:				
In part (b)				
(i) Fo	r an answ	er of (=) $5s + 1 - award 1/2$		
(ii) Do	not pena	lise bad form eg $w = 6s - (s - 1)$		
(iii) At	formula ir	n words is not acceptable		
(iv) For	r s = 5w +	-1 – award 0/2		
In part (c)				
(i) So	lution mag	y be obtained by extending the table		
(ii) Fo	r a final a	nswer of 16 without working – awar	d 0/2	
(iii) Fo	r 81 ÷ 5 =	$16(\cdot 2) - award 1/2$		

Question No		Give 1 mark for each •	Illu	strations of evidence for award each mark •	ling
7 (a)	Ans:	All 8 points plotted correctly			
	\bullet^1	3 points correct	\bullet^1		
	• ²	A further 5 points correct	• ²		
					2K
(b)	Ans:	Best-fitting line drawn			
	• ¹	A best-fitting line drawn	• ¹		1K
(c)	Ans:	Answer read from line (±2)			
	• ¹	Answer read from line	•1	Answer read from line (±2)	1R
Notes:					
(i) Fo	or each po	bint a tolerance of ± 2 mm may be app	lied		
(ii) F	or candida	ates who attempt to plot 16 points – a	ward 0	/2	
(iii) M	lost lines o	of best-fit will have a minimum of 2	points a	above and 2 points below the lin	e
(iv) T	he line of	best-fit must extend at least from po	int A to	point H	
8	Ans:	(£)61·75			
	\bullet^1	For knowing to find 5% of £65	\bullet^1	5% of $65 = 3.25$	
	• ²	For knowing to subtract	• ²	Cost = 65 - 3.25	
	•3	All calculations correct within a valid strategy (must involve a percentage calculation and a	• ³	= (£) 61.75	
		subtraction)			3R
Note:			1		
(£	inal answ 2)61·75	3/3		without working 2/3	
(1	2)52 (65–	65÷5) 1/3		0/3	

Question No	Give 1 mark for each •	Illustrations of evidence for awarding each mark •
9 (a)	Ans: $\frac{3}{25}$ • ¹ Probability identified	• $\frac{3}{25}$ 1K
(b)	 Ans: ⁷/₂₄ •¹ No. of boxes remaining •² Correct numerator in a probability statement 	• ¹ $25 - 1 = 24$ • ² $\frac{7}{24}$ 2R
Notes: In part (a) (i) In part (b) (i) (ii)	Accept variations in language eg 3:25; 3 out of For a final answer of $\frac{7}{24}$ without working – awa Accept variations in language eg 7:24; 7 out of	ard 2/2

Question No		Give 1 mark for each •	Illu	strations of evidence for awarding each mark •
10	Ans:	320		
	•1	For knowing to divide 720 by 9	\bullet^1	720÷9
	• ²	For knowing to multiply answer to above by 4	• ²	80×4
	•3	All calculations correct within a valid strategy	• ³	320 3R
Notes:				
(i)	Alternative	strategy		
	\bullet^1	For knowing to scale up, 1 st step	\bullet^1	eg 10 : 8
	• ²	For knowing to continue to scale up	• ²	eg 100 : 80
	•3	All calculations correct within a valid strategy	• ³	(400 :) 320
(ii)	Final answe	ers with working 3/3		without working 2/3
	400 : 320	3/3		2/3
(iv)	For an incor – award 1/3	rect calculation of the no. of boys foll	lowed	by a correct subtraction from 720
				VII 12lar

KU 13 marks RE 21 marks

[END OF PAPER 1 MARKING INSTRUCTIONS]

Mathematics Standard Grade – General Level 2007 – Paper 2

Marking Instructions

Award marks in whole numbers only

Questio No	on Give 1 mark for each •	Illustrations of evidence for awarding each mark •
1 Note:	Ans:180 (km)•1Use of correct formula•2Correct calculation	• ¹ $D = 144 \times 1.25$ • ² $= 180 \text{ (km)}$ 2K
	Final answerswith working 180 (km) $2/2$ $10800 (144 \times 75)$ $1/2$ $165 \cdot 6 (144 \times 1.15)$ $1/2$ $115 \cdot 2 (144 \div 1.25)$ $1/2$	without working 2/2 0/2 0/2 0/2
2	Ans:(£) 4725•1Find the cost of bricks•2Find the labour charge•3Correct total cost	• ¹ 7500 × 0·23 = 1725 • ² 15 × 200 = 3000 • ³ 1725 + 3000 = (£)4725 3K
Note:	Final answerwith working(£)47253/3	without working 2/3

Question No	n	Give 1 mark for each •	Illu	strations of evidence for awarding each mark •
3	Ans:	3 (times per year)		
	•1	Correct strategy to find cost of 4 check-ups for dogs	• ¹	$4 \times 17 \cdot 50$
	• ²	Knowing to subtract answer from 105.25	• ²	$105 \cdot 25 - 70$
	•3	Knowing to divide above by £11.75	•3	35·25÷11·75
	•4	All calculations correct (min. 3)	•4	3 (times per year) 4R
Notes:				
(i)	Final answ 3 Every 4 mo	4/4		without working 2/4 2/4
(ii)	An answer where the calculate		of an in	correct strategy, can still be awarded

Question No	Give 1 mark for each •		Illustrations of evidence for awardi each mark •	
4	Ans:	188 (cm)		
	\bullet^1	Correct use of Pythagoras	• ¹ $x^2 = 8$	$0^2 + 170^2$
	• ²	Correct Pythagoras calculation	• ² = 3530	00
	• ³	Correct square root of above	• ³ $x = 18$	7.882
	•4	Correct rounding	• ⁴ =188	(cm) 4K
Notes:				
(i)	Alternative	Strategy		
	Where a trig	g strategy is used marks may be awar	led as follows:	
	\bullet^1	Correct trig statement		
	• ²	Correct calculation of angle (64.8°	or 25·2°)	
	• ³	Correct calculation of length		
	• ⁴	Correct rounding		
(ii)	Final answ 188 187·882	ers with working 4/4 3/4	with	out working 3/4 2/4

	ive 1 mark for each •	Illu	strations of evidence for awardi each mark •	ng
Ans: 2 <i>x</i>	+ 26			
\bullet^1 Mu	ltiply out 1st bracket	\bullet^1	6 <i>x</i> + 14	
\bullet^2 Mu	ltiply out 2nd bracket	• ²	12 - 4x	
• ³ Ter	ms collected	•3	2x + 26	3K
Ans: <i>a</i> ≥	2 6			
• ¹ Nu	mber terms gathered	\bullet^1	$4a \ge 24$	
• ² Co	rrect solution	• ²	$a \ge 6$	2K
Final answers (a) $2x + 26$ (b) $a \ge 6$	with working 3/3 2/2		without working 2/3 1/2	
In (a) where a ca awarded	ndidate creates and then tries t	o solve	an equation the 3 rd mark cannot be	;
In (b) for a final	answer of eg 6, \geq 6, $a >$ 6 or a	= 6 the	2 nd mark cannot be awarded	
In (b) for $4a = 24$	4 leading to $a = 6 - award 1/2$			
	• 1 Mu • 2 Mu • 3 Ter Ans: $a \ge$ • 1 Nu • 2 Con Final answers (a) $2x + 26$ (b) $a \ge 6$ In (a) where a car awarded In (b) for a final	•1Multiply out 1st bracket•2Multiply out 2nd bracket•3Terms collected Ans: $a \ge 6$ ••1Number terms gathered•2Correct solutionFinal answerswith working(a) $2x + 26$ $3/3$ (b) $a \ge 6$ $2/2$ In (a) where a candidate creates and then tries to awarded	•1Multiply out 1st bracket•1•2Multiply out 2nd bracket•2•3Terms collected•3Ans: $a \ge 6$ •1•1•1Number terms gathered•1•2Correct solution•2Final answerswith working(a) $2x + 26$ $3/3$ (b) $a \ge 6$ $2/2$ In (a) where a candidate creates and then tries to solve awardedIn (b) for a final answer of eg 6, ≥ 6 , $a > 6$ or $a = 6$ the	Ans: $2x + 26$ •1Multiply out 1st bracket•1 $6x + 14$ •2Multiply out 2nd bracket•2 $12 - 4x$ •3Terms collected•3 $2x + 26$ Ans: $a \ge 6$ •1 $4a \ge 24$ •2Correct solution•2 $a \ge 6$ Final answerswith workingwithout working(a) $2x + 26$ $3/3$ $2/3$ (b) $a \ge 6$ $2/2$ $1/2$ In (a) where a candidate creates and then tries to solve an equation the 3^{rd} mark cannot be awardedIn (b) for a final answer of eg $6, \ge 6, a > 6$ or $a = 6$ the 2^{nd} mark cannot be awarded

6	Ans:	16(·06) (cm)		
	1			
	•1	For valid trig statement	• ¹	$\sin 35^\circ = opp/14$
	•2	For knowing to find side opposite 35° angle	•2	$Opp = 14 \times \sin 35^{\circ}$
	• ³	For correct trig calculation	• ³	8.03
	•4	For correct doubling of above value	•4	16 (·06) (cm) 4R
Notes:				
16	nal answe	4/4		without working 3/4
	·62[GRAI	-		3/4
)11·989 [R			3/4
	(.03)	3/4 (35 ×14) 2/4		2/4 0/4
	(·47) (Cos	555 ^ 14) 2/4		0/4
(ii) Ig	nore variat	tions in rounding		

Question No	Question Give 1 mark for each • No		Illustrations of evidence for awarding each mark •			
7 (a)	Ans:	6·28 (m)				
	•1	Calculating circumference of semi-circle using $\frac{1}{2}\pi d$	• ¹	$\frac{1}{2} \times \pi \times 4$		
	•2	Correct calculation involving π	•2	6·28 (m) 2K		
(b)	Ans:	Yes, $40 > 37 \cdot 7$				
	\bullet^1	Knows to find length of 6 semi- circles or equivalent	• ¹	$6 \times 6 \cdot 28$		
	•2	Yes, valid comparison with reason	• ²	Yes, $40 > 37 \cdot 7$ 2R		
Notes:						
In part (a)						
(i)	For a correc	t final answer without working – av	vard 1/2	2		
(ii)	For a final answer of 6 without working – award 0/2					
(iii)	i) Candidates who demonstrate the use of πr^2 can only be awarded the 2 nd mark					
In part (b)						
(i)	The reason must include a comparison or an implied comparison eg using 'only', 'more than' or 'less than'					

Questior No	1	Give 1 mark for each •		Illustrations of evidence for awarding each mark •		
8	Ans:	(£) 220·50				
	• ¹	Finding 6.3% of £	4200	\bullet^1	$0 \cdot 063 \times 4200 = 264 \cdot 6$	
	• ²	Finding interest fo	r 1 month	• ²	$264 \cdot 6 \div 12 = 22 \cdot 05$	
	•3	Finding interest fo	r 10 months	•3	$22 \cdot 05 \times 10 = (\pounds) 220 \cdot 50$	3K
Notes: (i)	Alternative	strategy				
	\bullet^1	Finding interest ra	te for 1 month	$ullet^1$	$6.3 \div 12 = 0.525$	
	• ²	Finding interest ra	te for 10 months	• ²	$0.525 \times 10 = 5.25$	
	• ³	Finding 5.25% of	£4200	• ³	$0.0525 \times 4200 = (\text{\pounds})220.50$	
(ii)	Final answ (£)220·50 (£)22·05 (× 5·25(%) (£)2646 (×	6·3% ÷ 12)	working 3/3 2/3 2/3 2/3		without working 2/3 1/3 1/3 0/3	

Question No	1	Give 1 mark for each •		Illustrations of evidence for awarding each mark •		
9	Ans	86°				
	\bullet^1	For knowing how to find $\angle ABO$	• ¹	$\angle ABO = 43^{\circ}$		
	• ²	For knowing how to find $\angle AOB$	•2	$\angle AOB = 180^\circ - 86^\circ = 94^\circ$		
	•3	∠BOC correctly calculated	•3	$\angle BOC = 180^\circ - 94^\circ = 86^\circ$		
					3R	
Notes:						
(i)	Final ans 86°	wer with working 3/3		without working 2/3		
(ii)	Alternati	ve strategy				
	\bullet^1	For knowing how to find $\angle ACB$	$ullet^1$	$\angle ACB = 47^{\circ}$		
	• ²	For knowing how to find $\angle OBC$	• ²	$\angle OBC = 47^{\circ}$		
	• ³	∠BOC correctly calculated	• ³	$\angle BOC = 180^\circ - 94^\circ = 86^\circ$		
(iii)	Angles co	rrectly marked on diagram may be acc	cepted			

Question No		Give 1 mark for each •		Illustrations of evidence for awarding each mark •		
10 (a)	Ans:	15 (m ²)				
	•1	Calculating area of rectangle	\bullet^1	$4 \times 3 = 12m^2$		
	• ²	Calculating area of triangle	•2	$\frac{1}{2} \times 3 \times 2 = 3m^2$		
	• ³	Correct total	•3	$A = 12 + 3 = 15(m^2)$ 3K		
(b)	Ans:	$52 \cdot 5(m^3)$				
	• ¹	Substitute above answer in $V = Ah$	•1	$V = 15 \times h$		
	• ²	Multiply by 3.5 and calculation correct	•2	$15 \times 3.5 = 52.5 \text{ (m}^3\text{)}$		
Notes:						
(i)	Final answ (a) 15(m ²) (b) 52.5(m ²)	3/3		without working 2/3 1/2		
(ii)	In part (b) Alternative	part (b) ternative strategy				
	• ¹	Calculate volume of cuboid or prism	\bullet^1	$V = 3 \times 4 \times 3.5$ or $\frac{1}{2} \times 3 \times 2 \times 3.5$		
	• ²	Correct total volume	• ²	$42 + 10.5 = 52.5 \text{ (m}^3\text{)}$		

Question No	Give 1 mark for each •		Illustrations of evidence for awarding each mark •		
11	Ans:	0·4 (m)			
	• ¹	For identifying a correct scale factor or equivalent	• ¹	$\frac{0\cdot 5}{1\cdot 5} = \frac{1}{3}$	
	• ²	For correct use of scale factor	• ²	$\frac{1}{3} \times 1 \cdot 2$	
	•3	For calculating <i>x</i>	• ³	x = 0.4 (m) 3F	
Notes: (i)	Alternativ	e strategies			
		-	1	1.2	
	$\mathbf{A} \bullet^{\mathbf{I}}$	For valid trig ratio leading to calculation of angle	• ¹	$\sin y^\circ = \frac{1\cdot 2}{1\cdot 5}$	
	• ²	Use of angle from above leading to calculation of side	• ²	$0.5 \times \sin 53.1$	
	•3	For calculating <i>x</i>	• ³	x = 0.4 (m)	
	$\mathbf{B} \bullet^1$	For calculating length of base using Pythagoras	$ullet^1$	0.9	
	• ²	For correct use of scale factor	• ²	$\frac{1}{3} \times 0 \cdot 9 = 0 \cdot 3$	
	• ³	For calculating <i>x</i> (from 3, 4, 5 triangle)	• ³	x = 0.4 (m)	
	Final answ 0·4 0·6	wers with working 3/3 2/3		without working 1/3 0/3	
		wing may be used			

Question No	Give 1 mark for each •		Illustrations of evidence for awarding each mark •		
12 (a)	Ans:	96 (min)			
	• ¹	A correct variation statement involving <i>k</i>	• ¹	$t = k \times h$	
	• ²	Calculate a constant of variation	• ²	$k = \frac{180}{75} = 2.4$	
	•3	Correct calculation involving a constant of variation		$t = 2 \cdot 4 \times 40 = 96 \text{ (m)}$	in)
					3К
(b)	Ans:	62·5 (mm)			
	• ¹	Knowing to convert 2 ¹ / ₂ hours to minutes	•1	150	
	•2	Knowing how to calculate the height	• ²	$150 = 2 \cdot 4 \times h$	
	•3	Correct calculations to find <i>h</i>	• ³	h = 62.5 (mm)	3R
Notes:					
(i)	<u>in part</u> 1·875 (0·533 (ratios arising from proportion metho (a) <u>in part (b)</u> (75/40) 0·417 (75/180) (40/75) (75/180)	ods incl	ude:	
(ii)	Ignore early	or inappropriate rounding			
(iii)	In part (b)				
	Alternative • ¹	e strategy Knowing how to calculate the reduction in height in 1 hour	\bullet^1	75 ÷ 3	
	• ²	Knowing to multiply answer to above by 2.5 hours	• ²	25×2.5	
	•3	Correct calculations to find h	• ³	h = 62.5 (mm)	
(iv)	Final answ (a) 96 (min 337.5 (4 16.7 (75 (b) 62.5 (m) 3/3 4·5 × 75) 1/3 5/4·5) 1/3		without working 2/3 0/3 0/3 2/3	
L					27 marks 19 marks
	[END O]	F MARKING INSTRUCTIONS]		FINAL	KU 40 marks RE 40 marks