## 2005 Mathematics

## Standard Grade - Credit Paper 1 and Paper 2

## Finalised Marking Instructions

These Marking Instructions have been prepared by Examination Teams for use by SQA Appointed Markers when marking External Course Assessments.

## Special Instructions

1 The main principle in marking scripts is to give credit for the skills which have been demonstrated. Failure to have the correct method may not preclude a pupil gaining credit for the calculations involved or for the communication of the answer.

Care should be taken to ensure that the mark for any question or part question is entered in the correct column, as indicated by the horizontal line.

Where a candidate has scored zero marks for any question attempted, " 0 " should be shown against the answer in the appropriate column.

It is of great importance that the utmost care should be exercised in adding up the marks. Where appropriate, all summations for totals and grand totals must be carefully checked.

2 The answer to one part, correct or incorrect must be accepted as a basis for subsequent dependent parts of a question. Full marks in the dependent part is possible if it is of equivalent difficulty.

3 Do not penalise insignificant errors. An insignificant error is one which is significantly below the level of attainment being assessed.
eg
An error in the calculation of $16+15$ would not be penalised at Credit Level.

4 Working after a correct answer should only be taken into account if it provides firm evidence that the requirements of the question have not been met.

In certain cases an error will ease subsequent working. Full credit cannot be given for this subsequent work but partial credit may be given.

6 Accept answers arrived at by inspection or mentally, where it is possible for the answer to have been so obtained.

7 Do not penalise omission or misuse of units unless marks have been specifically allocated to units.

8 A wrong answer without working receives no credit unless specifically mentioned in the marking scheme.

The rubric on the outside of the Papers emphasises that working must be shown. In general markers will only be able to give credit to partial answers if working is shown. However there may be a few questions where partially correct answers unsupported by working can still be given some credit. Any such instances will be stated in the marking scheme.

9 Acceptable alternative methods of solution can only be given the marks specified, ie a more sophisticated method cannot be given more marks.

Note that for some questions a method will be specified.

10 In general do not penalise the same error twice in the one question.

11 Accept legitimate variations in numerical/algebraic questions.

12 Do not penalise bad form eg $\sin x^{0}=0 \cdot 5=30^{\circ}$.

13 A transcription error is not normally penalised except where the question has been simplified as a result.

## 2005 Mathematics SG - Credit Level - Paper 1

## Marking Instructions

Award marks in whole numbers only

| Question No | Give 1 mark for each • | Illustrations of evidence for awarding each mark • |  |
| :---: | :---: | :---: | :---: |
| 1 | Ans: $\mathbf{2 . 8 8}$ <br> - knowing correct order of operations <br> - carrying out both calculations | $\begin{array}{ll} - & 0.92 \\ - & 2.88 \end{array}$ | 2 KU |
| Notes: |  |  |  |
| Answer must be a decimal fraction |  |  |  |
| With or without working: |  |  |  |
| (i) $2 \cdot 88$ |  | 2 marks |  |
| (ii) 0.92 |  | 1 mark |  |
| (iii) -0.445 |  | 1 mark |  |


| Question <br> No | Give 1 mark for each • | Illustrations of evidence for awarding <br> each mark • |  |
| :--- | :--- | :--- | :--- | :--- |
| $\mathbf{2}$ | Ans: $\frac{\mathbf{2 1}}{\mathbf{6}}$ |  |  |


| Question No | Give 1 mark for each • | Illustrations of evidence for awarding each mark • |
| :---: | :---: | :---: |
| 3 | Ans: $£ 17.50$ <br> - valid strategy <br> - evaluation | - correctly starting calculation <br> - $£ 17 \cdot 5(0)$ |
|  |  | 2 KU |
| Notes: |  |  |


| Question No | Give 1 mark for each - | Illustrations of evidence for awarding each mark • |  |
| :---: | :---: | :---: | :---: |
| 4 | Ans: $\frac{9}{36}$ <br> - stating number of favourable or total outcomes <br> - probability | - 9 or 36 <br> - $\frac{9}{36}$ |  |
| Notes: |  |  |  |
| (i) $\frac{5}{21}$ | with or without working award $1 / 2$ |  |  |
| (ii) $\frac{9}{36}$ | without working is awarded $2 / 2$ |  |  |
| (iii) $\frac{1}{4}$ | or equivalent (except 9/36) without working is awarded $0 / 2$ |  |  |


| Question No | Give 1 mark for each • | Illustrations of evidence for awarding each mark • |
| :---: | :---: | :---: |
| 5 | Ans: $y=-2 x+6$ <br> - gradient <br> - $\quad y$-intercept <br> - consistent equation | - -2 <br> - 6 <br> - $y=-2 x+6$ |
|  |  | 3 KU |
| Notes: |  |  |
| (i) Third mark is only awarded for an equation consistent with first two marks. |  |  |
| (ii) A wrong gradient may be substituted to give an alternative intercept. |  |  |


| Question No | Give 1 mark for each • | Illustrations of evidence for awarding each mark • |
| :---: | :---: | :---: |
| 6 | Ans: $\frac{2}{5}$ <br> - transposing terms <br> - dealing with denominator of $x$ <br> - solution of equation | - $\frac{2}{x}=5$ <br> - $5 x=2$ <br> - $x=\frac{2}{5}$ |
| Notes: <br> (i) First mark is also awarded for adding the left hand side correctly. $\frac{2+x}{x}=6$ |  |  |
|  |  |  |



| Question No | Give 1 mark for each • | Illustrations of evidence for awarding each mark • |
| :---: | :---: | :---: |
| 8 (a) | Ans: $\mathbf{5}^{\mathbf{2}}-\mathbf{3}^{\mathbf{2}}$ <br> - term | - $5^{2}-3^{2} \quad 1 \mathrm{RE}$ |
| Notes: |  |  |
| (b) | Ans: 4n <br> - correct expression <br> - expanding brackets <br> - simplified expression | - $\quad(n+1)^{2}-(n-1)^{2}$ <br> - $n^{2}+2 n+1-\left(n^{2}-2 n+1\right)$ <br> - $4 n$ |
| Notes: |  |  |



| $\begin{gathered} \hline \text { Question } \\ \text { No } \end{gathered}$ | Give 1 mark for each • | Illustrations of evidence for awarding each mark • |
| :---: | :---: | :---: |
| 10 | Ans: 6 cm <br> - valid strategy <br> - starting process <br> - continuing of process <br> - continuing calculation <br> - consistent solution | - use of right-angled triangles <br> - 3 <br> - 4 <br> 3 <br> 6 |
|  |  | 5 RE |

## Notes:

(i) Candidates who use $3 \cdot 5$ as the height of the lower triangle lose the first 3 marks.
(ii) They may gain the $4^{\text {th }}$ mark for:

$$
x^{2}=5^{2}-3 \cdot 5^{2}
$$

(iii) The fifth mark can be awarded if there is evidence of doubling any value of $x$.

| $\begin{array}{\|c} \hline \text { Question } \\ \text { No } \end{array}$ | Give 1 mark for each • | Illustrations of evidence for awarding each mark • |
| :---: | :---: | :---: |
| 11 (a) | Ans: $25 \sqrt{2}$ <br> - substitution <br> - simplifying surd <br> - consistent solution | - $4 \sqrt{72}+\sqrt{2}$ <br> - $6 \sqrt{2}$ <br> - $25 \sqrt{2}$ |
|  |  | 3 KU |
| Notes: |  |  |
| (b) | Ans: $t=\frac{1}{2}$ <br> - forming equation <br> - starting to solve equation <br> - consistent solution | - $4 \sqrt{t}+\sqrt{2}=3 \sqrt{2}$ <br> - $4 \sqrt{t}=2 \sqrt{2}$ <br> - $\boldsymbol{t}=\frac{1}{2}$ |
|  |  | 3 RE |


| Question No | Give 1 mark for each • | Illustrations of evidence for awarding each mark • |
| :---: | :---: | :---: |
| 12 | Ans: $\mathbf{3 . 5} \mathrm{cm}$ <br> - stating area of triangle <br> - forming equation <br> - standard quadratic equation <br> - factorising <br> - stating valid solution | - $\frac{1}{2} \times 2 x(2 x-5)$ <br> - $\quad x(2 x-5)=7$ <br> - $\quad 2 x^{2}-5 x-7=0$ <br> - $\quad(2 x-7)(x+1)=0$ <br> - 3.5 |
|  |  | 5 RE |
| Notes: <br> (i) An answer of $3 \cdot 5$ obtained by inspection gains the $5^{\text {th }}$ mark only. |  |  |

KU 23 marks
RE 20 marks
[END OF PAPER 1 MARKING INSTRUCTIONS]

## 2005 Mathematics SG - Credit Level - Paper 2

## Marking Instructions

Award marks in whole numbers only


| Question No | Give 1 mark for each • | Illustrations of evidence for awarding each mark • |
| :---: | :---: | :---: |
| 2 | Ans: 79.5, 7.09 <br> - calculating mean <br> - applying s.d. formula <br> - continuing formula <br> - consistent value | - $\quad 79.5$ <br> - $\quad 251 \cdot 5$ <br> $\sqrt{\frac{251 \cdot 5}{5}}$ <br> - 7.09 |

Notes:
(i) The correct answer $7 \cdot 09 / 7 \cdot 1$ with no working receives full credit.
(ii) Ignore careless positioning of square root sign for the third mark.

| Question No | Give 1 mark for each • | Illustrations of evidence for awarding each mark • |
| :---: | :---: | :---: |
| 3 | Ans: $187.5 \mathrm{~cm}^{2}$ <br> - valid strategy <br> - continuing strategy <br> - substitution <br> - consistent value | using area formula $\begin{aligned} & \frac{1}{2} \times q r \sin P \\ & \frac{1}{2} \times 19 \times 21 \times \sin 110^{\circ} \end{aligned}$ $187.5 \mathrm{~cm}^{2}$ |
| Notes: |  |  |
| (i) An <br> (ii) An | wer in grads is 197 award $4 / 4$ <br> wer in radians is -8.83 award $3 / 4$ |  |



| Question No | Give 1 mark for each • | Illustrations of evidence for awarding each mark • |
| :---: | :---: | :---: |
| 5 | Ans: not right-angled <br> METHOD 1 <br> - valid strategy <br> - evaluation <br> - valid conclusion | - converse of Pythagoras' Theorem <br> - $\quad 12100$ and 11700 <br> - $\quad 110^{2} \neq 60^{2}+90^{2}$ |
|  | METHOD 2 <br> - valid strategy <br> - evaluation <br> - valid conclusion | $\qquad$ <br> - Pythagoras' Theorem <br> - $\quad \mathrm{h}=108.17$ <br> - $\quad 108 \cdot 17 \neq 110$ |
|  | METHOD 3 <br> - valid strategy <br> - evaluation <br> - valid conclusion | - cosine rule <br> - $\quad$ angle $=92 \cdot 1^{\circ}$ <br> - $\quad 92 \cdot 1^{\circ} \neq 90^{\circ}$ |
| Notes: <br> The third mark requires a specific numerical comparison. |  |  |


| Question No | Give 1 mark for each • | Illustrations of evidence for awarding each mark • |
| :---: | :---: | :---: |
| 6 | Ans: 48 metres <br> - valid strategy <br> - forming equation <br> - processing <br> - valid solution | - use of similar triangles <br> - $\frac{h}{20}=\frac{12}{5} \quad$ or $\frac{x}{25}=\frac{12}{5}$ <br> - $5 h=240 \quad 5 x=300$ <br> - $48 x=60 / h=48$ |
|  |  | 4 RE |


| Question No | Give 1 mark for each - | Illustrations of evidence for awarding each mark • |
| :---: | :---: | :---: |
| 7 | Ans: 11.0 kilometres <br> - calculation of angle AVB <br> - use of sine rule in $\triangle \mathrm{AVB}$ <br> - substitution <br> - processing <br> - valid solution | - $\quad 116^{\circ}$ <br> - $\frac{b}{\sin B}=\frac{v}{\sin V}$ <br> - $\frac{5}{\sin 24^{\circ}}=\frac{v}{\sin 116^{\circ}}$ <br> - $v=\frac{5 \sin 116^{\circ}}{\sin 24^{\circ}}$ <br> - $\quad 11.0$ |
| Notes: |  |  |
| With working |  |  |
| $5 \cdot 26$ | award 4/5 ( $\left.<\mathrm{B}=66^{\circ},<V=74^{\circ}\right)$ |  |
| 7.9 | award 4/5 (wrong side) |  |
| $3 \cdot 5$ | award 3/5 (wrong angle, wrong side) |  |


| Question No | Give 1 mark for each • | Illustrations of evidence for awarding each mark • |
| :---: | :---: | :---: |
| 8 | Ans: 6 centimetres <br> - expression for volume <br> - expression for surface area <br> - equating volume and surface area <br> - finding correct value of $x$ <br> - length of side | - $8 x^{3}$ <br> - $24 x^{2}$ <br> - $8 x^{3}=24 x^{2}$ <br> - $x=3$ <br> - side $=6 \mathrm{~cm}$ |
|  |  | 5 RE |
| Notes: <br> If $x=3$ or side $=6$ is assumed, a maximum of $3 / 5$ is possible: <br> - award 1 mark for checking in volume <br> - award 1 mark for checking in surface area <br> - award 1 mark for valid conclusion. |  |  |


| $\begin{gathered} \text { Question } \\ \text { No } \end{gathered}$ | Give 1 mark for each • | Illustrations of evidence for awarding each mark • |
| :---: | :---: | :---: |
| 9 (a) | Ans: £10 <br> - rental | - $£ 10$ |
| Notes: |  |  |
| (b) | Ans: 5 pence <br> - $\quad$ valid strategy <br> - finding unit cost <br> - appropriate answer | - $\quad$ cost of calls $=£ 3$ <br> - 0.05 <br> - 5 p |
| Notes: |  | 3 RE |
| (i) For the third mark, units must be stated. |  |  |
| (ii) For the third mark there must be appropriate rounding eg 22p or 21.7 p . |  |  |
| (iii) Dividing 60 by 3 to obtain 20 can receive only the first mark. |  |  |
| (iv) Dividing 60 by 13 to obtain $4 \cdot 6153$ may receive the third mark for $4 \cdot 6 \mathrm{p}$ or 5 p . |  |  |
| (v) Candidates who simply find the correct gradient still may be awarded the first and second mark. |  |  |


| $\begin{aligned} & \text { Question } \\ & \text { No } \end{aligned}$ | Give 1 mark for each • | Illustrations of evidence for awarding each mark • |
| :---: | :---: | :---: |
| 10 (a) | Ans: $\mathbf{2 3}^{\circ}$ <br> - valid strategy <br> - cosine ratio <br> - processing <br> - valid solution | - right angled triangle <br> - $\quad \cos x^{\circ}=\frac{11 \cdot 5}{12 \cdot 5}$ <br> - 0.92 <br> - $23^{\circ}$ |
|  |  | 4 RE |
| Notes: |  |  |
| (b) | Ans: $\mathbf{1 0 . 0 m}$ <br> - valid strategy <br> - substitution <br> - evaluation <br> - rounding | - $\frac{46}{360}$ <br> - $\frac{x}{360} \times 25 \pi$ <br> - $10 \cdot 04$ <br> - $10 \cdot 0$ |
|  |  | 4 RE |
| Notes: |  |  |
| (i) The final mark can be awarded only for an explicit rounding. <br> (ii) An answer of 10.0 with no working is awarded 0 marks. |  |  |


| $\begin{gathered} \text { Question } \\ \text { No } \end{gathered}$ | Give 1 mark for each - | Illustrations of evidence for awarding each mark • |
| :---: | :---: | :---: |
| 11(a) | Ans: $\mathbf{3 5 \cdot 3} \mathbf{3}^{\circ} \mathbf{1 4 4 . 7}^{\circ}$ <br> - simplifying equation <br> - first solution <br> - consistent second solution | - $\quad \sin x^{\circ}=\frac{1}{\sqrt{3}}$ <br> - $35 \cdot 3^{\circ}$ <br> - $144.7^{\circ}$ |
|  |  | 3 KU |
| Notes: |  |  |
| (b) | Ans: $\mathbf{1 7 . 6 ^ { \circ }}$ or $72.4^{\circ}$ <br> - valid solution | - $17.6^{\circ}$ or $72.4^{\circ}$ |
|  |  | 1 RE |
| Notes: |  |  |

KU 22 marks
RE 25 marks
[END OF PAPER 2 MARKING INSTRUCTIONS]

| FINAL | KU 45 |
| :--- | :--- |
| TOTALS | RE 45 |

